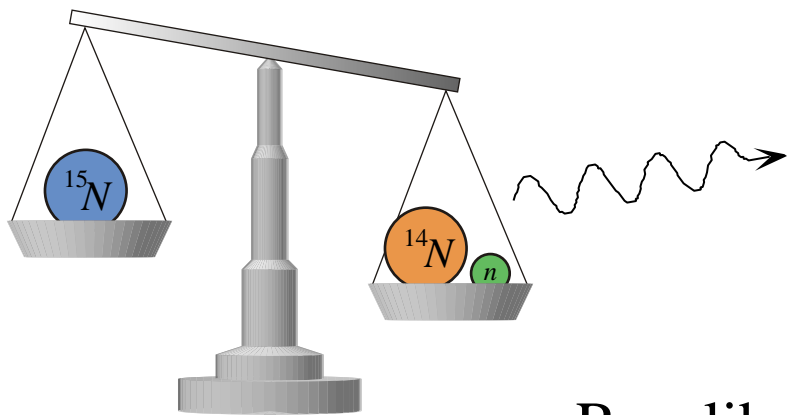


# Interesting and Diverse Physics with Precision Mass Spectrometry

Have Done at  $\frac{m}{m} 10^{-10}$

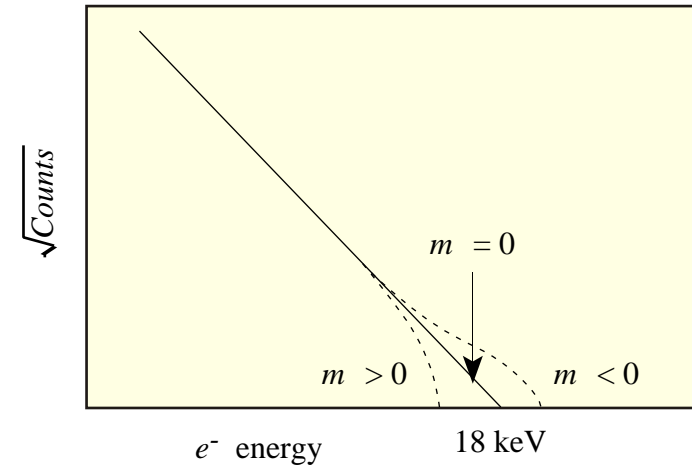
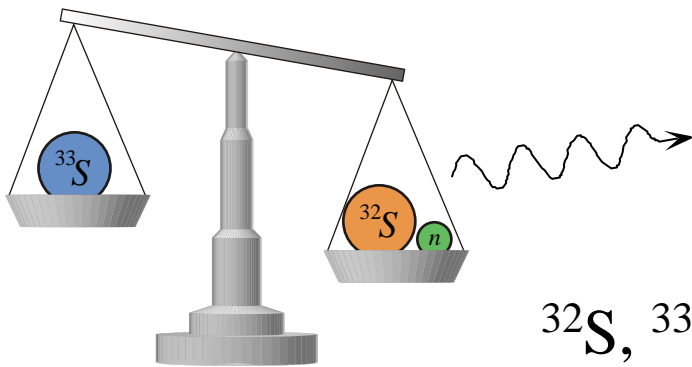
$^{28}\text{Si}$  for atomic definition of the **kilogram**  
to replace artifact standard



Recalibration of the **-ray spectrum**

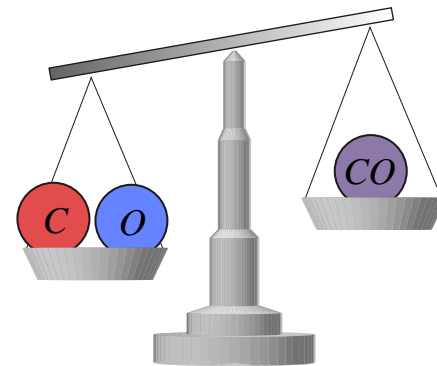
Can Do at  $\frac{m}{m}$   $10^{-11}$  to  $10^{-12}$

$^3\text{He}$ ,  $^3\text{H}$  to Place Limits on the  
Electron Neutrino Rest Mass



$^{32}\text{S}$ ,  $^{33}\text{S}$  for Precise Tests of  $E=mc^2$

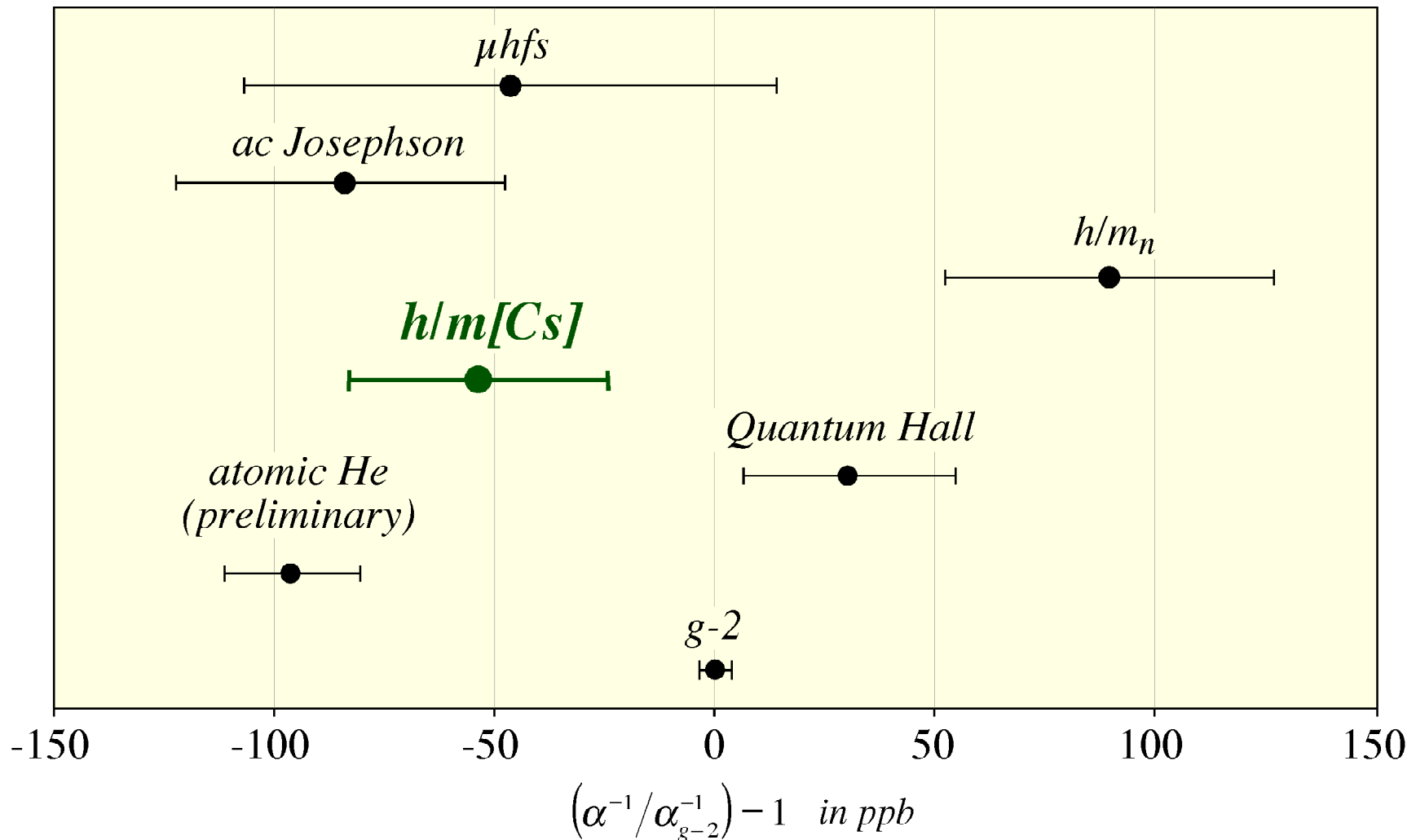
Weigh Chemical Binding Energies ?



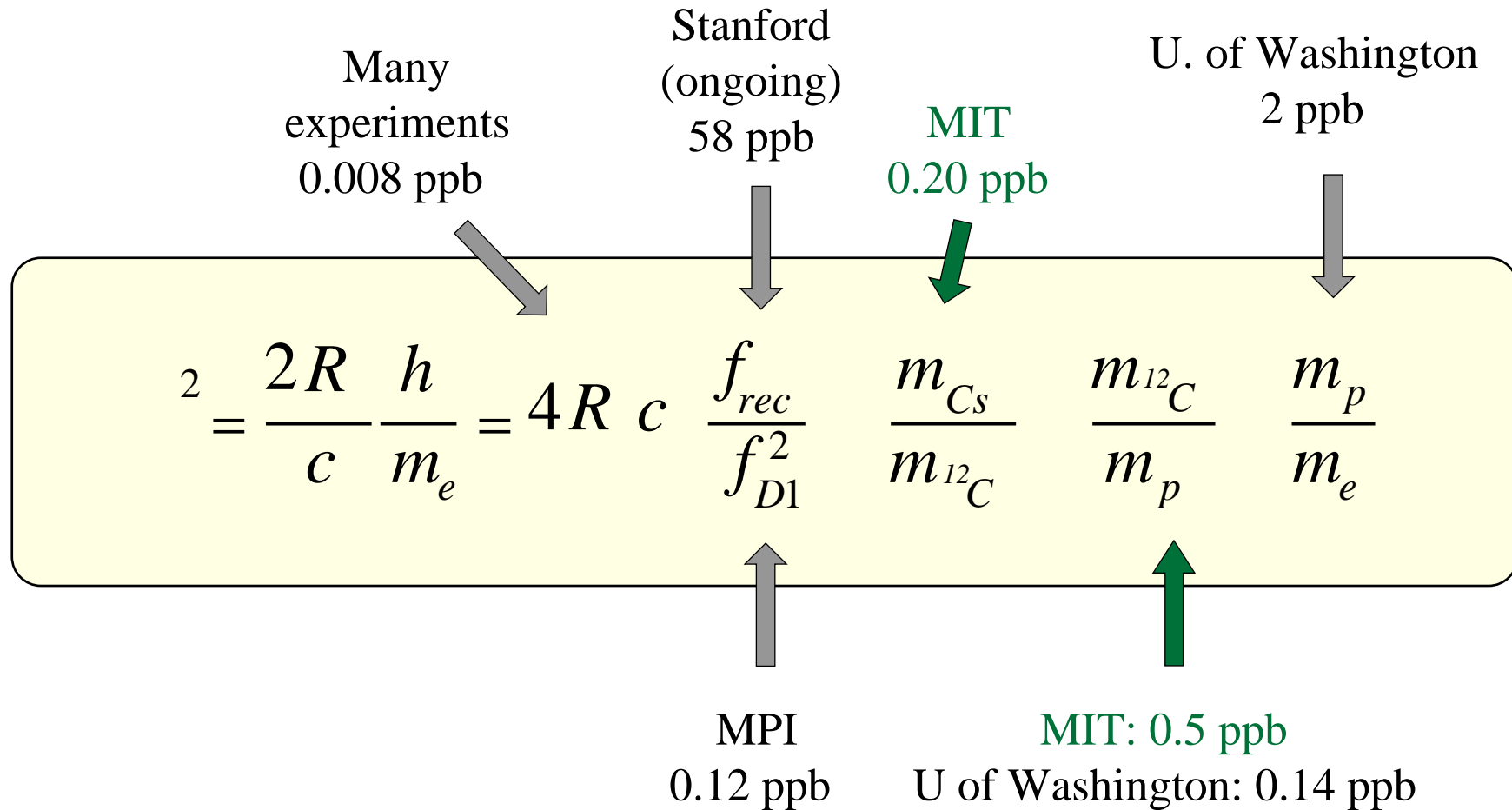
# The Fine Structure Constant

$$= \mu_0 c \frac{e^2}{2h}$$

reference:  $\alpha_{g-2}^{-1} = 137.035\,999\,6(5)$



# New Determination of



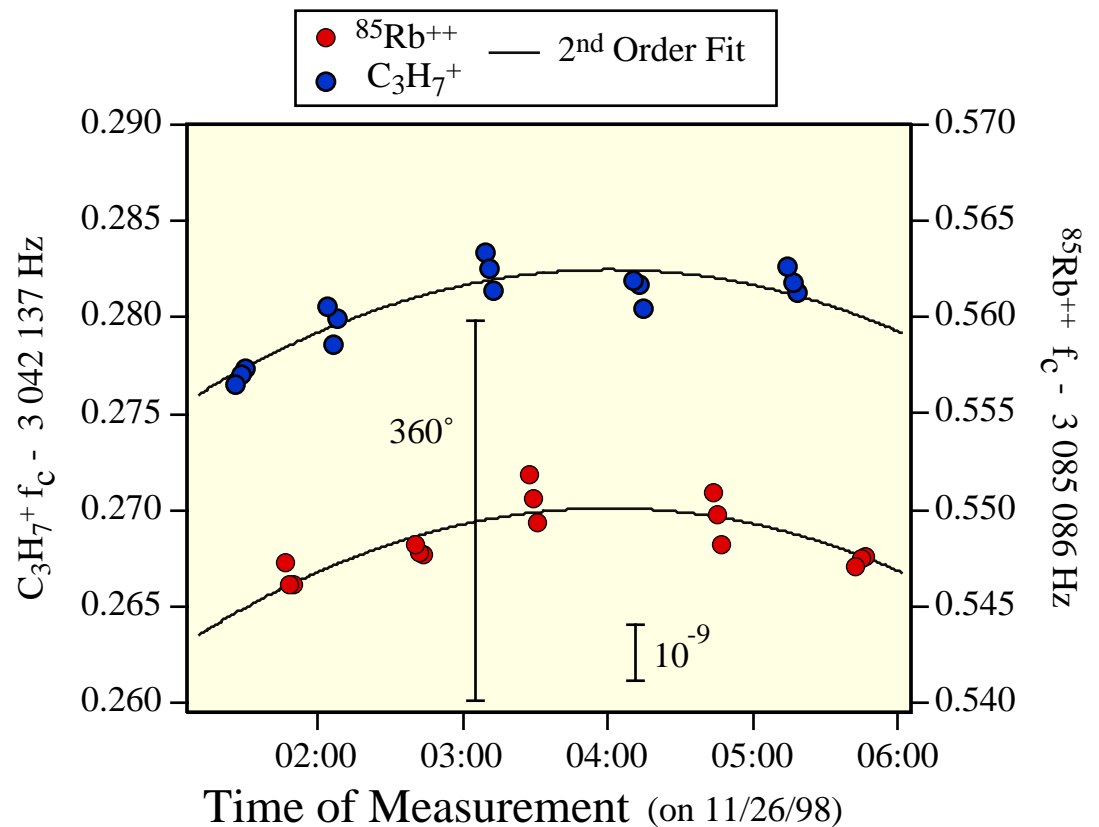
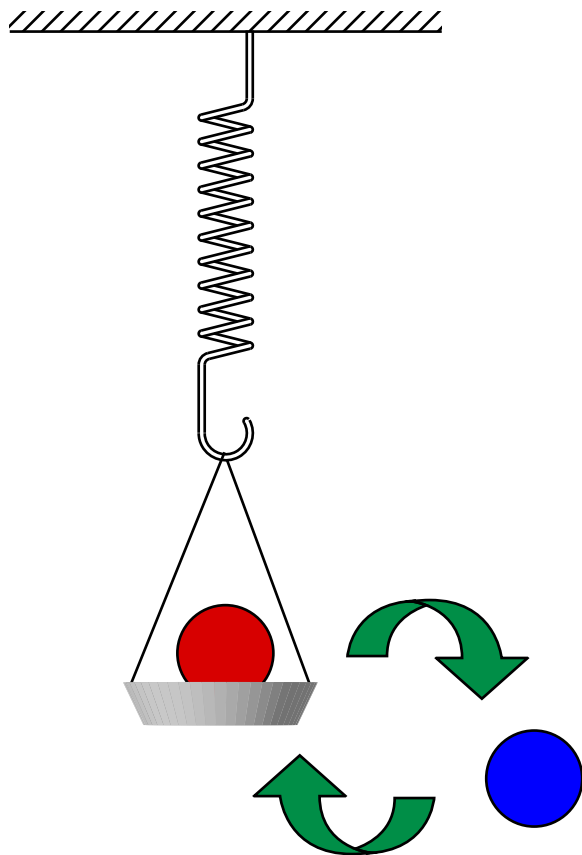
# The MIT Mass Table

Atom	MIT Mass (u)	m/m x 10 <sup>10</sup>	Previous accepted value	
			Factor of improvement in precision	Difference (in units of old error)
<sup>1</sup> H	1.007 825 031 6 (5)	5.0	24	-0.28
<i>n</i>	1.008 664 916 4 (8)	8.1	17	-0.54
<sup>2</sup> H	2.014 101 777 9 (5)	2.5	48	-0.05
<sup>13</sup> C	13.003 354 838 1 (10)	0.8	17	0.71
<sup>14</sup> N	14.003 074 004 0 (12)	0.9	22	0.08
<sup>15</sup> N	15.000 108 897 7 (11)	0.7	36	-1.81
<sup>16</sup> O	15.994 914 619 5 (21)	1.3	24	-0.21
<sup>20</sup> Ne	19.992 440 175 4 (23)	1.2	957	2.08
<sup>23</sup> Na	22.989 769 280 7 (28)	1.2	93	-1.46
<sup>28</sup> Si	27.976 926 532 4 (20)	0.7	350	-0.81
<sup>40</sup> Ar	39.962 383 122 0 (33)	0.8	424	-0.41
<sup>85</sup> Rb	84.911 789 732 (14)	1.6	193	-0.99
<sup>87</sup> Rb	86.909 180 520 (15)	1.7	187	-1.89
<sup>133</sup> Cs	132.905 451 931 (27)	2.0	111	1.64



For a new determination of the fine structure constant

# Single Ion



Magnetic field fluctuations limit precision to  $10^{-10}$

# Ion Motion in a Penning Trap

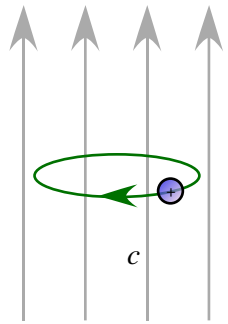
Radial  
Confinement

+

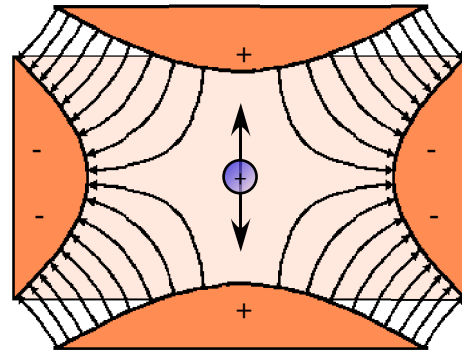
Axial Confinement

=

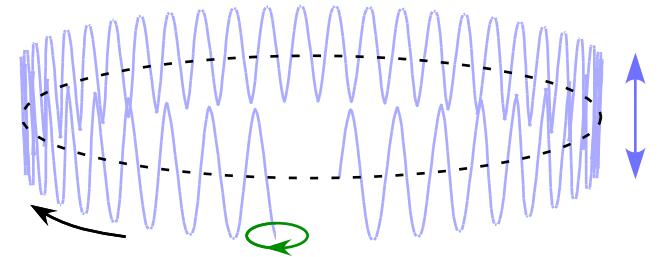
New Normal Modes



+



=



Magnetron  
~ 5 kHz

Trap  
Cyclotron  
~ 5 MHz

Axial  
~ 200 kHz

8.5 Tesla  
Magnetic Field

SINGLE ions



Small Ion-Ion Perturbations

$$c = \frac{qB}{m}$$

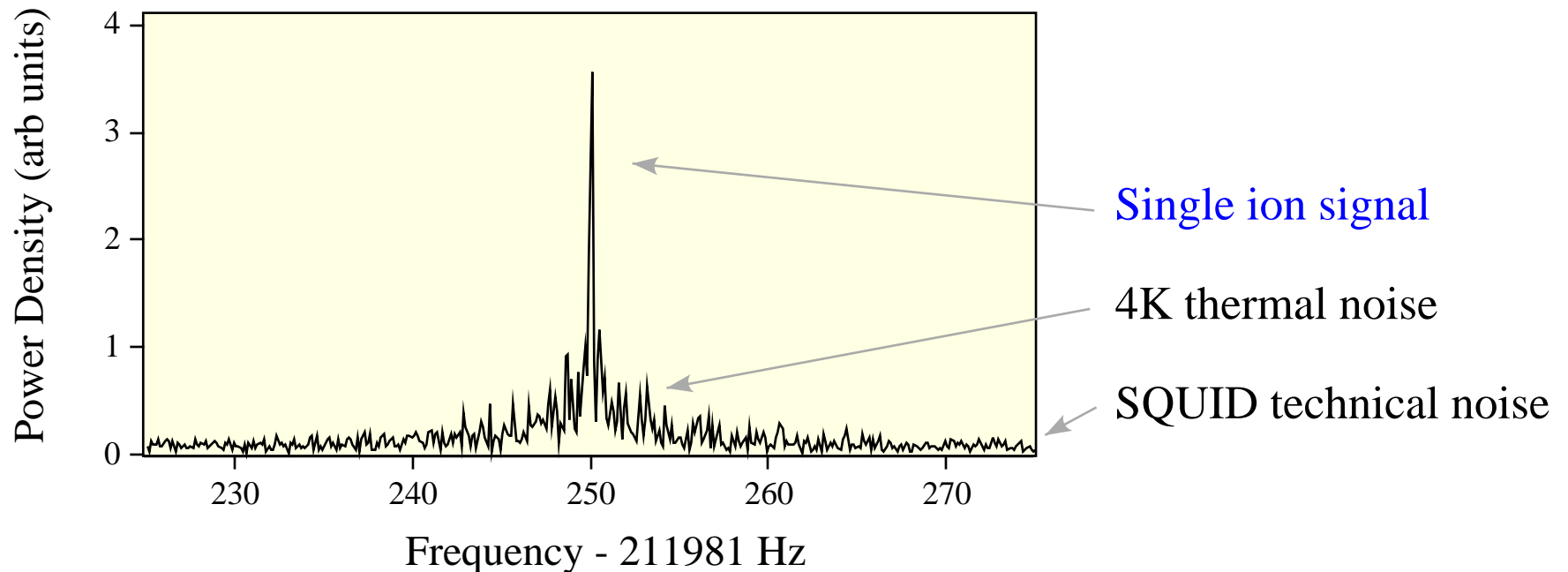
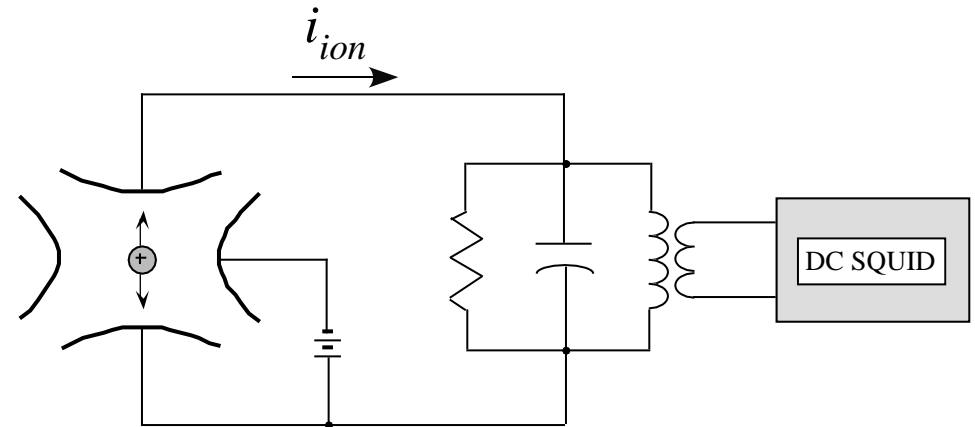


$$\frac{m_1}{m_2} = \frac{q_1}{q_2} \frac{2}{1}$$

# Detecting a Single Ion

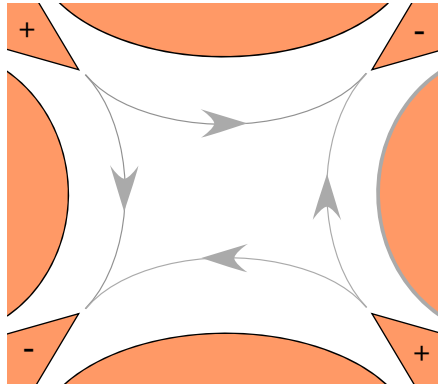
A single ion oscillating along z axis  $\parallel$   current of  $10^{-15}$  A induced in the endcap !

We use a superconducting resonant transformer ( $Q \sim 40\,000$ ) and a DC SQUID to detect this miniscule current.

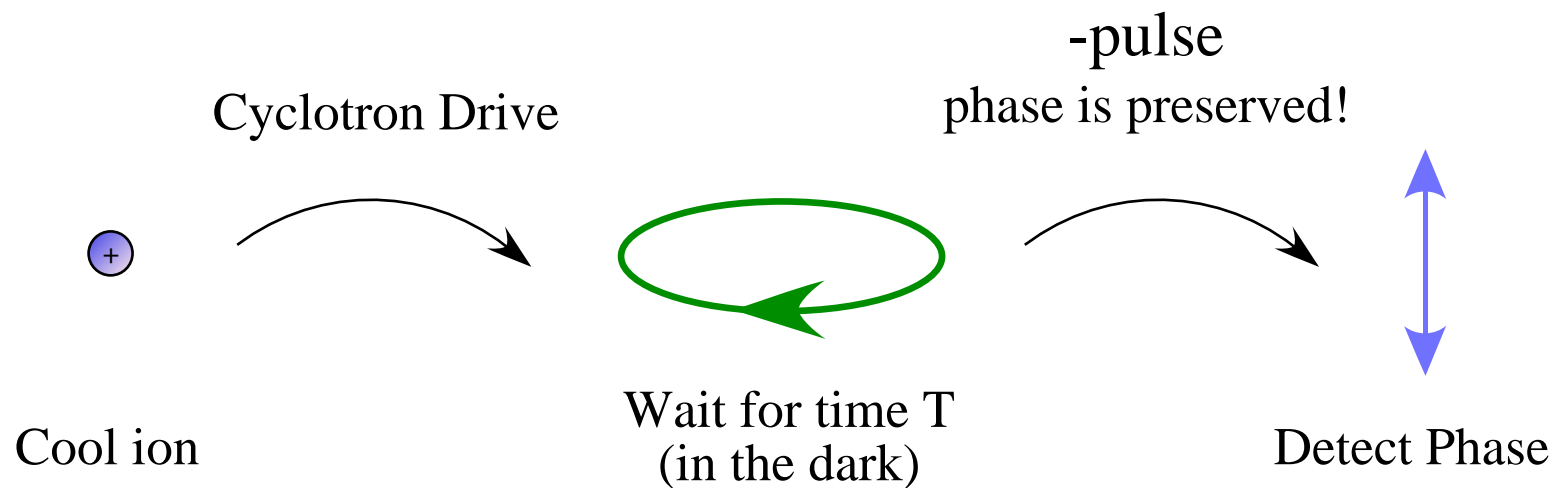




# Measuring the Cyclotron Frequency

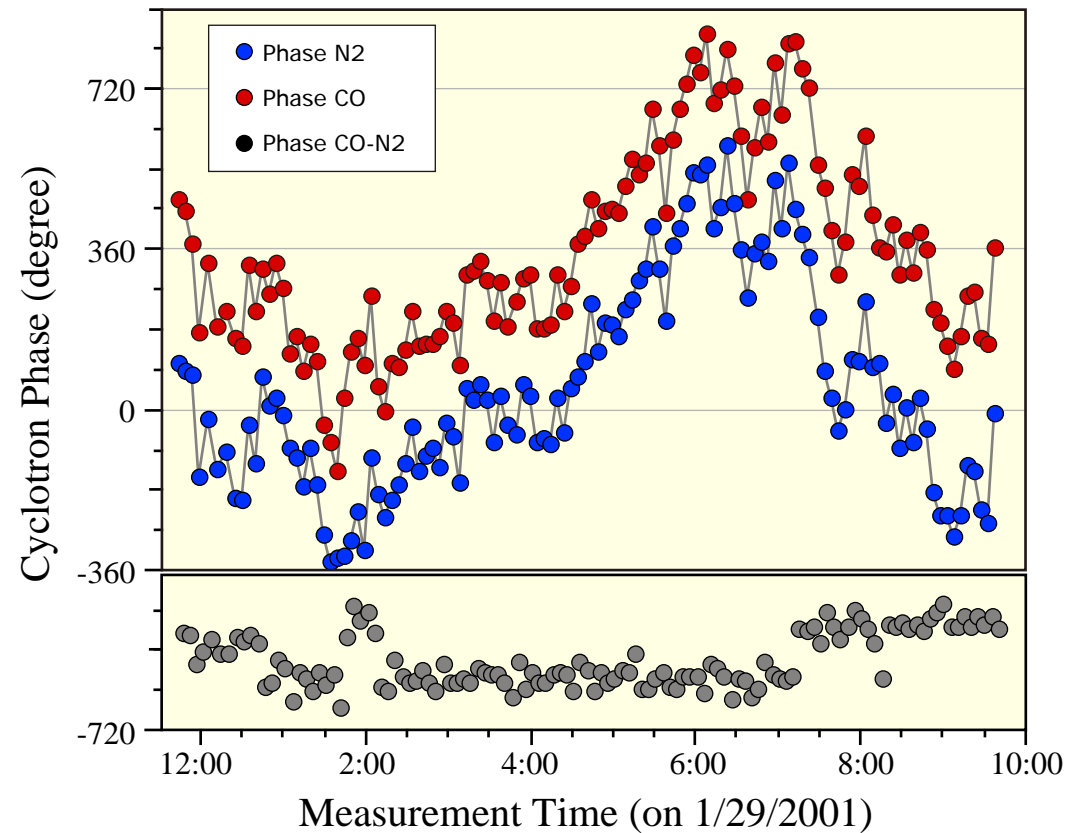
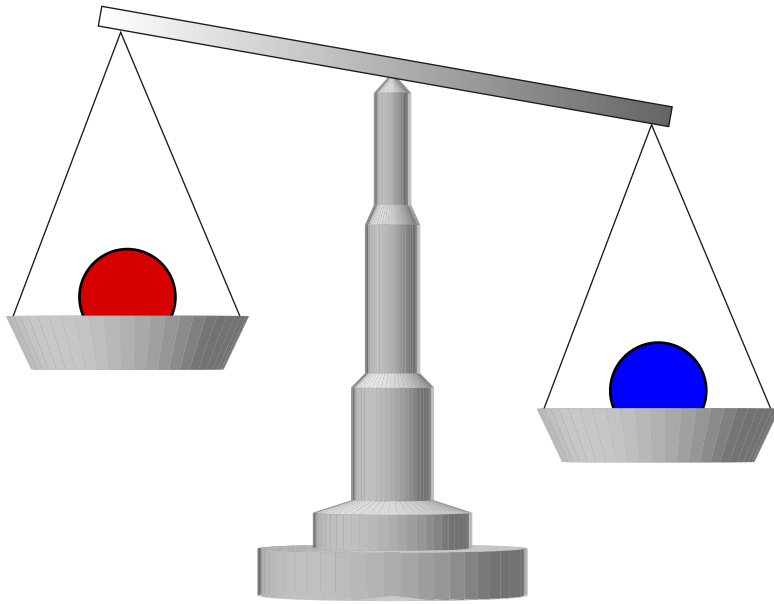


Cool and detect the cyclotron mode by coupling to the damped and detected axial mode.



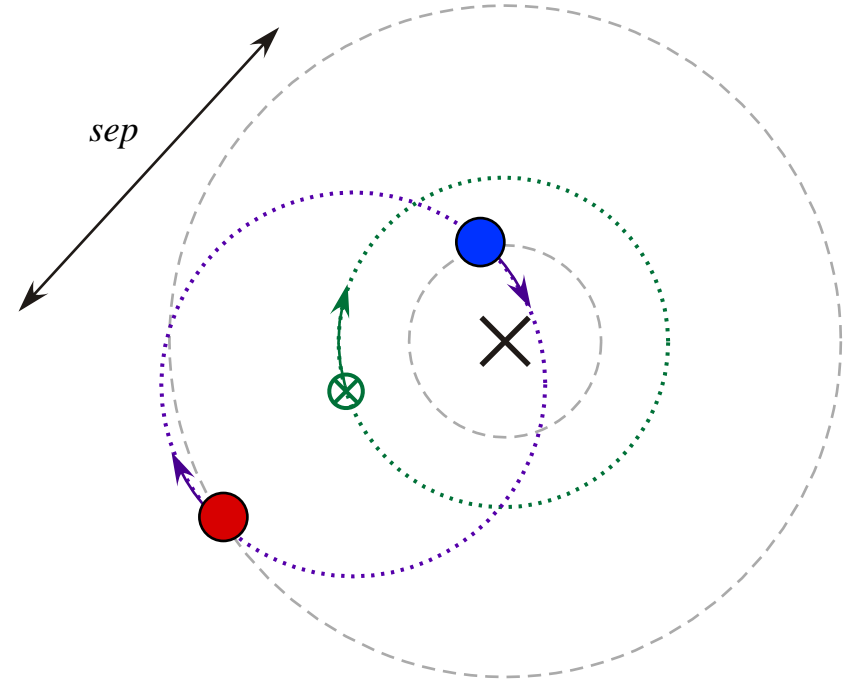
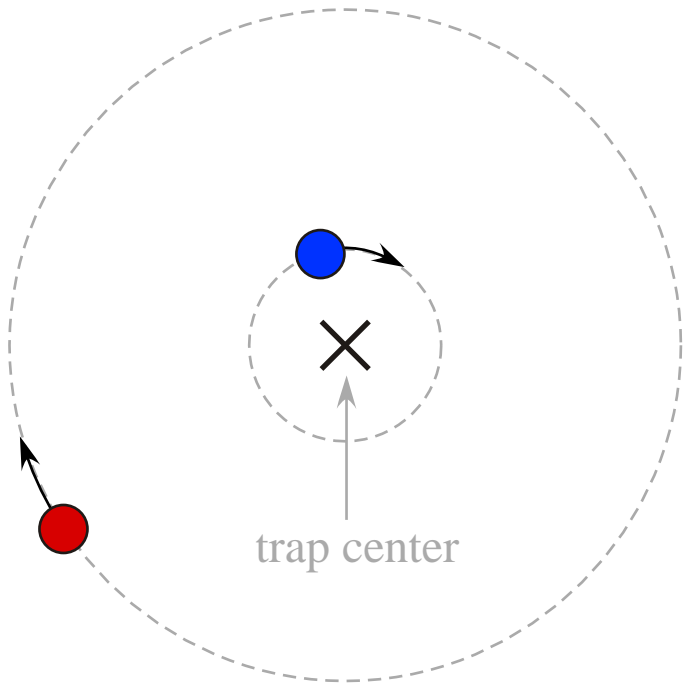
50 s evolution time (T) yields a precision of 1 part in  $10^{10}$

# Two Ions



Precision of  $10^{-10}$  in 3 minutes (during the day) !!

# Magnetron Mode Locking



Independent  
Magnetron Modes

+

Small Ion-Ion  
Coupling

=

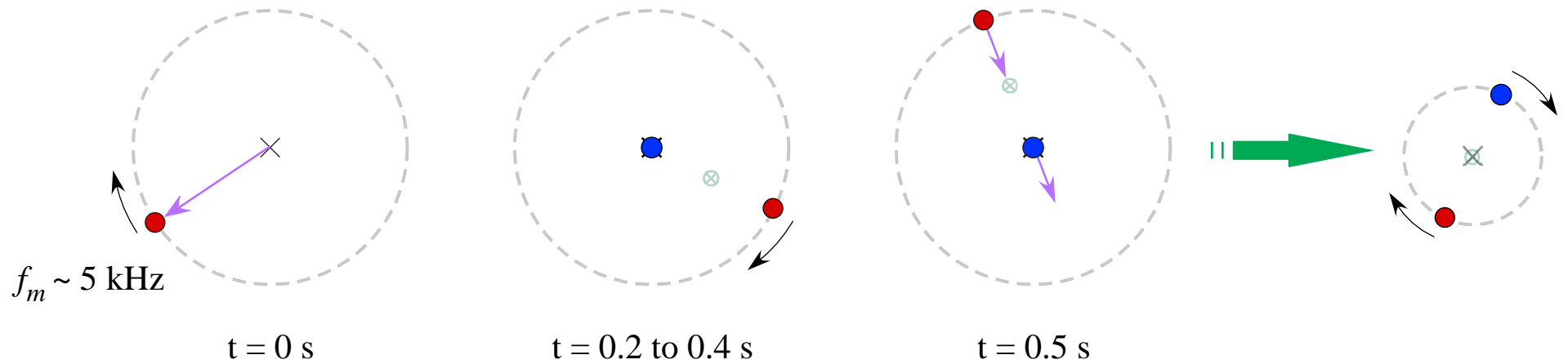
New Normal Modes:  
- Center of Mass ( $\otimes$ )  
- Separation



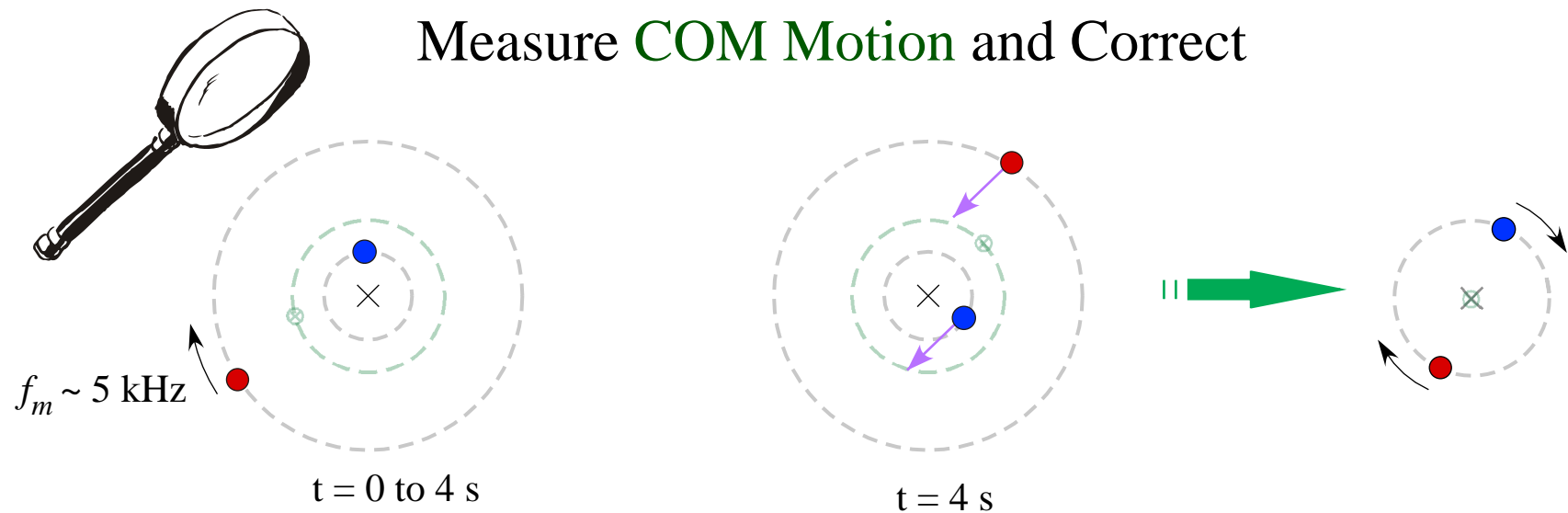
- $sep$  is constant and ions sample the same B field
- At  $sep \sim 1 \text{ mm}$  predict ion-ion perturbations  $< 2 \times 10^{-12}$

# Controlling the Ions Orbit

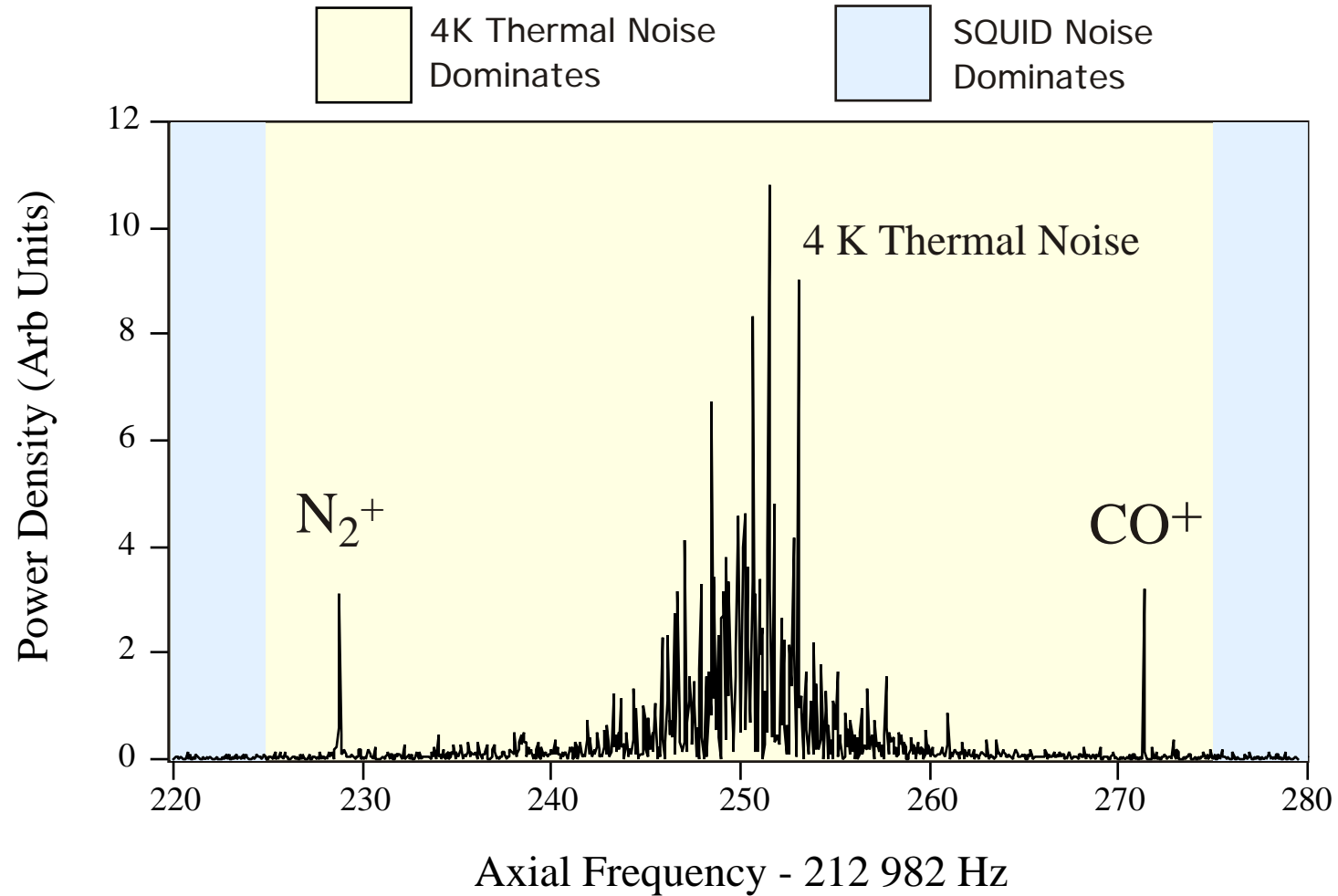
Set **Center of Mass Motion**, Make 2<sup>nd</sup> Ion, and Quickly Zero



Measure **COM Motion** and Correct



# Two Ion Signal

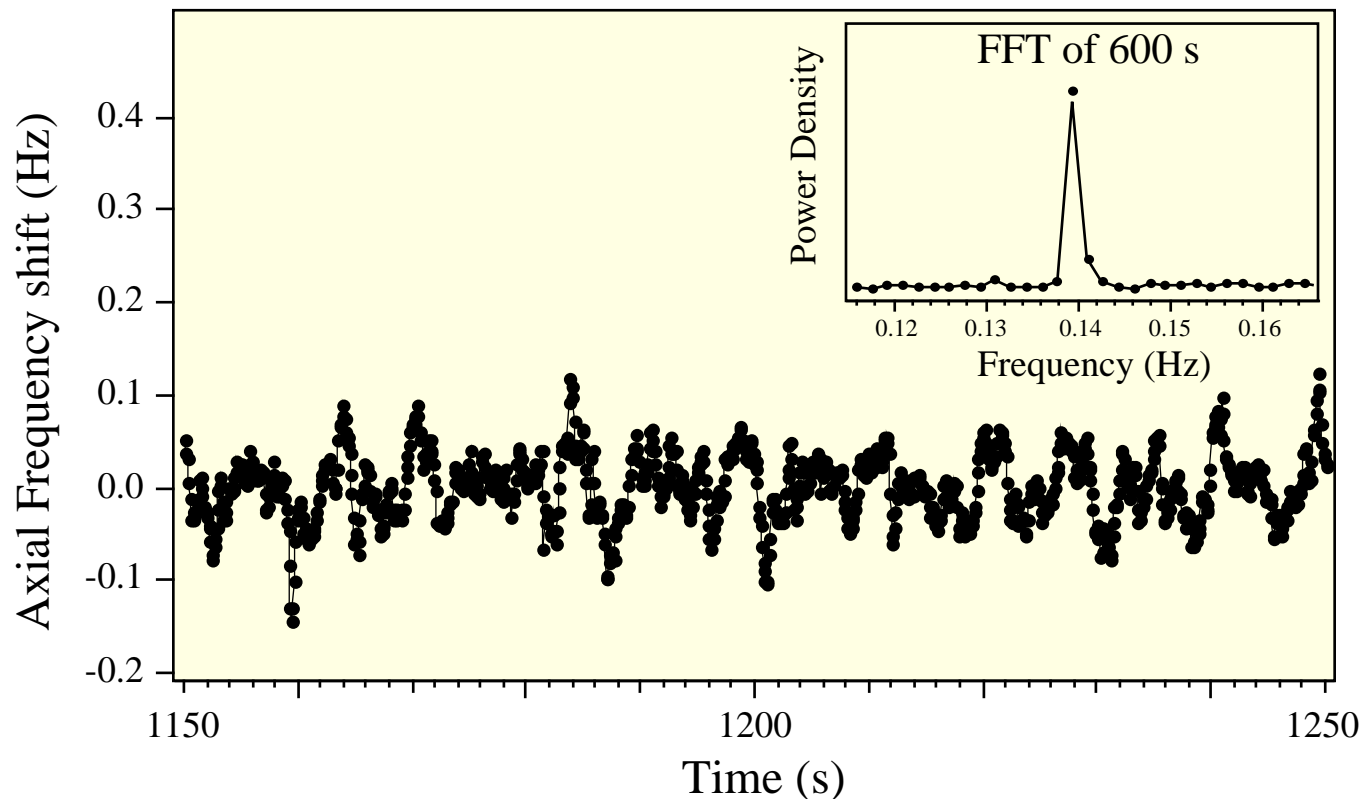


Typical Axial Signals from ions after 240 sec of  
Cyclotron Phase Accumulation

# Watching the Motion of the Ions

Electrostatic anharmonicities  $\Rightarrow$   $f_z$  is a function of radius

Axial frequency of  $\text{CO}^+$  in the presence of  $\text{N}_2^+$

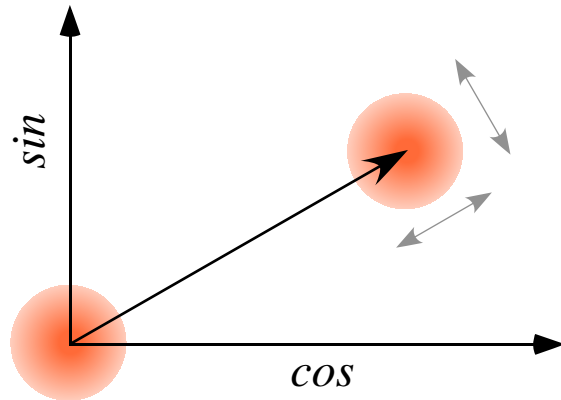


Magnetron radius of each ion is oscillating with a period  $\sim 7$  s

(calculated period for  $sep \sim 700 \mu\text{m}$ )

# Effect of Finite Temperature (4K)

Problem:



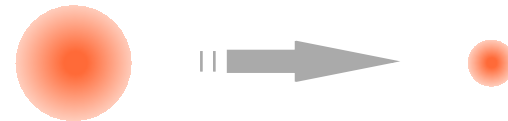
cyclotron phase noise

cyclotron frequency variation  
( $\sim 5 \times 10^{-11}$ ) due to magnetic  
field inhomogeneity and  
special relativity:

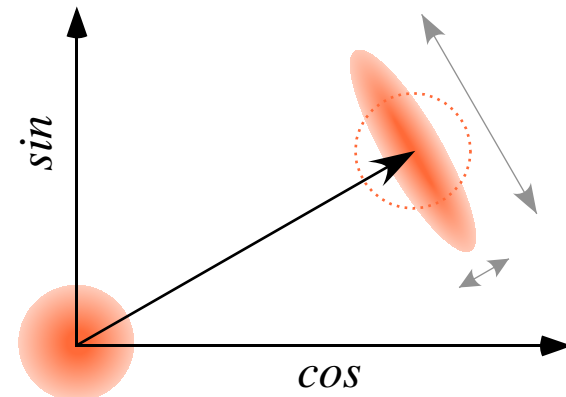
$$c = \frac{qB}{m} \quad \text{and} \quad v = cA$$

Solutions:

- Cool the ion (see below)



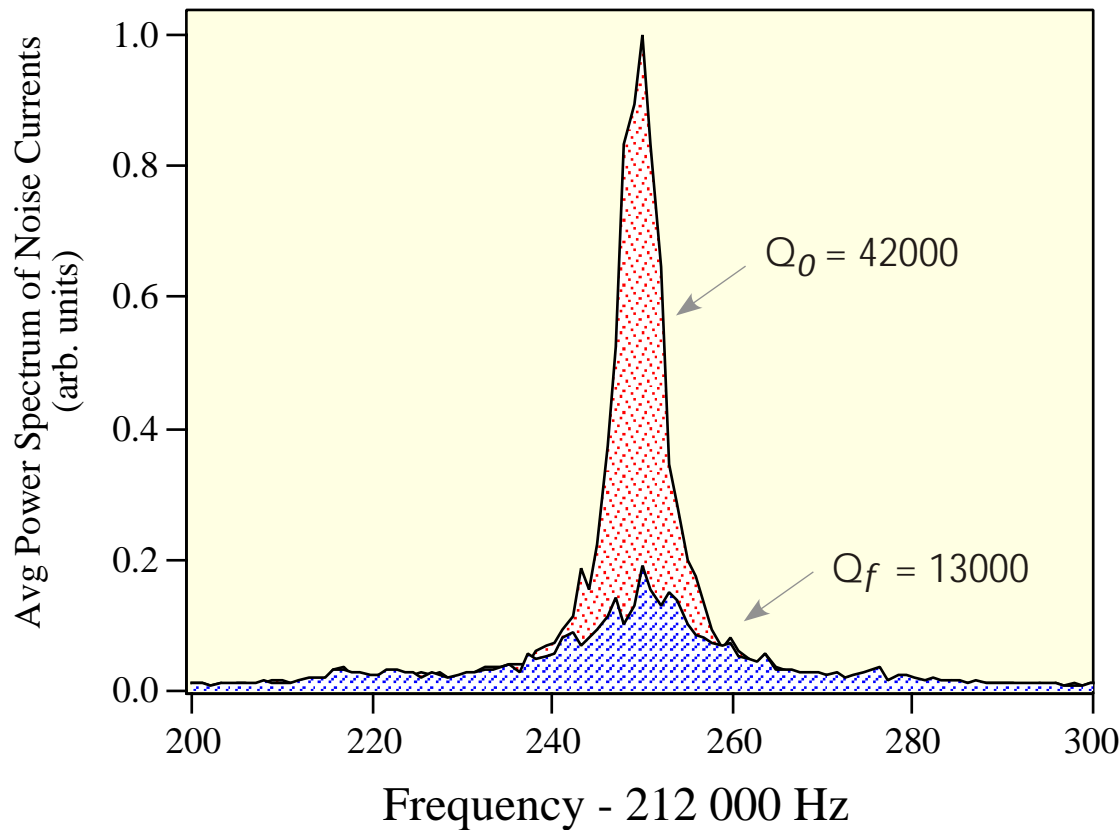
- Classical Squeezed States



“Squeeze” the noise to reduce the  
amplitude fluctuations by a factor  
of 2 below the thermal limit.

# Electronic Refrigeration

Use feedback to reduce thermal noise currents in the detector



In this data, the temperature of the resonant transformer is reduced by a factor of 3.

The ion's axial motion comes to equilibrium with this subthermal detector.



Observed factor of  $\sim 2$  reduction in phase noise.